

**Reporting Statistical Results in Medical Journals** 

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### Abstract -

Statistical editors of the Malaysian Journal of Medical Sciences (MJMS) must go through many submitted manuscripts, focusing on the statistical aspect of the manuscripts. However, the editors notice myriad styles of reporting the statistical results, which are not standardised among the authors. This could be due to the lack of clear written instructions on reporting statistics in the guidelines for authors. The aim of this editorial is to briefly outline reporting methods for several important and common statistical results. It will also address a number of common mistakes made by the authors. The editorial will serve as a guideline for authors aiming to publish in the MJMS as well as in other medical journals.

Keywords: medical journals, MJMS, presenting, reporting, statistical results

### Introduction

Year over year, statistical editors of the Malaysian Journal of Medical Sciences (MJMS)

must go through many submitted manuscripts, scrutinising the statistical and methodological soundness of the manuscripts. In 2015 alone, the MJMS received 272 manuscripts from

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many different countries, 52% of which were original articles (1). However, the editors have noted many different styles of reporting statistical results, and these styles are not standardised among authors. This has caused unnecessary difficulties for the editors as they have to comment not only on the methods and statistics used, but also on the technical and formatting aspects of the manuscripts. This lack of standardised reporting also causes delay in reviewing and accepting submitted articles. Admittedly, this could be due to a lack of clear written instructions on reporting statistics in the guidelines for authors. Although there are a number of guidelines available on reporting statistical results, for examples in Lang and Altman (2) and Cummings and Rivara (3), the editors of the MJMS found them incomplete as guidelines for authors.

The aim of this editorial is to outline reporting methods for several important and common statistical results. It will also address a number of common mistakes made by authors.

### **Presentation Forms**

Statistical results can be presented in text, table, or figure form. The decision depends very much on the amount of information the authors want to present to the readers.

The text form is suitable for brief results, for example, the description of a sample ("A total of 100 patients were recruited," "Most of the respondents were female..."). Text form is also used to highlight important results in tables that might be missed by readers given the amount of information commonly summarised in tables, for example, "Among all the studied factors, only gender and salary were found to be significantly associated with...".

The table form is suitable for presentation of detailed statistical results. Common examples are detailed demographic profiles of study participants, results of a multiple logistic regression analysis, and cross-tabulation of factors with outcomes. It is very important to note that the table description is placed at the *top* of the table, while the list of abbreviations and additional relevant descriptions (especially related to statistical analysis) are placed *below* the table as footnotes. The footnotes should be indicated by superscript Roman letters (a, b, c, ...) instead of symbols or numbers. All abbreviations used in the table must be described again in the footnotes, although the abbreviations were already described in text or earlier tables.

The figure form includes charts, graphs, and other images. It should be reserved for results that are more presentable in this form, for example, trends or geographical distribution of disease, histopathological or radiological images, and comparison of means over time. Figure descriptions are placed *below* the figure.

### **Descriptive Statistics**

The descriptive statistics summarise data from a sample, for example, demographic profiles. Whenever there are a number of groups, it is useful to provide the descriptive statistics by group and for the overall sample. This gives a visual impression of the comparability of the groups in term of their baseline characteristics. It is not necessary to report statistical tests and *P*-values in such a summary because the main concern is the comparability of the participants (which reflects the sampling), not the populations.

Depending on the types of variables, authors should present the appropriate descriptive statistics. For numerical variables, if the variable is normally distributed, the mean and standard deviation (SD) are presented. In the text, this is reported as mean (SD = value), for example, "the mean age was 46.5 (SD = 3.0)." In a table, the "mean (SD)" statement is included in the header. Whenever the variable is not normally distributed, the median and inter-quartile range (IQR) are reported instead. The use of "±" symbol between a mean and an SD must be avoided because the mathematical symbol has its own specific meaning. For the categorical variable, count (n) and percentage (%) are presented. In addition, authors must report the group size and total sample size, written as n = size in the table headers and the table description, respectively. The use of a capital N in place of n must be avoided as it refers to population size instead of sample size. A typical demographic table is presented in Table 1.

### **Confidence Interval**

Precision of the estimates, for example, single mean and proportion, are presented in the form "estimate (95% CI: lower limit, upper limit)". In writing, for the single mean, "the mean body mass index (BMI) was 22.5 (95% CI: 21.5, 23.5)" and for the single proportion/percentage

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Variables		<b>Drug X (</b> <i>n</i> = <b>45)</b> <i>n</i> <b>(%)</b>	<b>Placebo (</b> <i>n</i> = <b>50)</b> <i>n</i> <b>(%)</b>	<b>Total</b> n <b>(%)</b>
Age (years) <sup>a</sup>		45.3 ( 2.6)	47.8 ( 3.2)	46.5 ( 3.0)
Gender	Male	25 (55.6)	25 (50.0)	50 (52.6)
	Female	20 (44.4)	25 (50.0)	45 (47.4)
BMI groups	Underweight (BMI < 18.5)	10 (22.2)	11 (24.0)	21 (22.1)
	Normal (BMI 18.5 to 24.9)	12 (26.7)	13 (28.0)	25 (26.3)
_	Overweight (BMI ≥ 25)	23 (51.1)	26 (48.0)	49 (51.6)

#### **Table 1:** Patient demographics (*n* = 95)

"the prevalence of obesity was 34.5% (95% CI: 30.5%, 38.5%)". Other common examples are the reporting of mean difference (independent *t*-test) and odds ratio (logistic regression), which are presented under the specific statistical tests section below.

# **Common Statistical Tests**

In order to standardise the reporting and presenting of statistical results in the MJMS, the editors offer the suggested forms of presentation summarised in Table 2 as general guidelines.

# **Additional Concerns**

### P-value

In text, the *P*-value is written as an italic capital *P* followed by the value, while as a table header, it should be written as *P*-value. The authors should write the value instead of reporting the result as "not significant" or "NS" (3). For example, "the comparison was significant, with P = 0.003". Three decimal places are preferred in the MJMS for all ranges of *P*-values. The editors are aware of different guidelines on the number of decimal places of *P*-values, for example, as given in Cummings and Rivara (3) and Cole (4).

# Italic formatting of statistical tests and coefficients

Statistical tests that are named after the statistical distributions on which they are based, for example, *t*-test, *F*-test, and  $\chi^2$ -test, are italicised. In addition, coefficients, for example, *r* (Pearson's correlation coefficient), *R*<sup>2</sup> (*R*-squared), and  $\alpha$  (Cronbach's alpha) are also italicised.

## Statistical analysis

Computer programs used for statistical analysis should be described, specifically, the name of the program and the version should be given as well as the specific add-on packages if applicable. For example, "IBM SPSS for Windows version 22.0 was..." and "*psych* version 1.5.8 and *lavaan* version 0.5-20 packages were used in the R software environment." The statistical analysis used should be described in sufficient detail to reproduce the analysis (2), particularly the name of the analysis, its relation to the aims of the study, and the dependent and independent variables. In addition, Lang and Altman (2) outlined in greater detail general principles of reporting statistical methods.

### Formatting and presentation of numbers

In general, one decimal place is used for percentage values. Use two or more decimal places for percentage values less than 1.0%. For descriptive statistics of numerical data, add one additional decimal place to the original data. For example, if cholesterol level is reported with one decimal place (e.g. 4.8 mmol/L), the mean and SD should be reported with two decimal places (e.g. mean = 4.82, SD = 2.11 mmol/L). Use two decimal places for test statistics values, for example, values of *t*-statistic, *F*-statistic, and  $\chi^2$ -statistic.

Using a dash "-" in between any two numbers must be avoided as it could be mistaken for a minus or negative sign. For example, authors should write "the age ranges between 20 to 29 years old" instead of "the age ranges between 20 - 29 years old". In relation to formatting of numbers in tables, the last digits of numbers must be right-aligned. The formatting is demonstrated in Table 1 and 2.

			Table form	form				<b>Figure form</b>	
Independent <i>t</i> -test	Table 2a: Con	Table 2a: Comparison of systolic	olic blood pres	sure between	blood pressure between intervention and control	l control		I	
	groups.	tps.							
	Variable	Mean (SD)	(SD)	Mean difference (95% CI)	<i>t</i> -statistic (df)	<i>P</i> -value <sup>a</sup>			
	SBP (mmHg)	Intervention $n = 40$	Control $n = 40$	10.0	7.83 (78)	< 0.001			
	-	119.4 (5.06)	109.4 (6.34)	(7.5, 12.6)					
	SBP = systolic blood	SBP = systolic blood pressure. <sup>a</sup> Independent <i>t</i> -test.	ndent <i>t</i> -test.						
Paired t-test	Table 2b: Con	nparison of syst	olic blood pres	sure pre- and	Table 2b: Comparison of systolic blood pressure pre- and post-treatment.				
	Variable	Mean (SD)  n = 30	(SD) 30	Mean difference (95% CI)	t-statistic (df)	P-value <sup>a</sup>			
	SBP (mmHg)	Pre	Post	-11.5					
		136.5 (9.72)	125.0 (7.64)	(-13.1, -9.9)	) -14.92 (29)	< 0.001			
	SBP = systolic blood	SBP = systolic blood pressure. <sup>a</sup> Paired <i>t</i> -test.	t-test.						
One-way ANOVA	Table 2c: Con	Table 2c: Comparison of mean weight between the four diet plans.	un weight betwe	sen the four d	liet plans.			Maan Diat with 06% CI	
	Groups	u	Weight (kg) Mean (SD)		<i>F</i> -statistic (df1, df2)ª	<i>P</i> -value <sup>a</sup>	S8		<b>—</b>
	Okinawa Diet	10	65.5 (9.98)	9.98)				H	° —
	Eastern Diet	10	75.4 (4.17)	(4.17)	13.41		1		1
	Western Diet	10	77.9 (5.70)	5.70)	(3, 36)	2100.0 >	SY 140ia/	• <del>-</del>	
	Fast food Diet	10	83.9 (5.07)	5.07)			02 M		
	<sup>a</sup> One-way ANOVA, diet and other diet ]	<sup>a</sup> One-way ANOVA, <sup>b</sup> Post-hoc analysis with Bonferroni corrections shows significant differe diet and other diet plans ( $P < 0.001$ ) and between Eastern diet and Western diet ( $P = 0.041$ )	with Bonferroni <i>c</i> id between Eastern	orrections shows diet and Wester	<sup>a</sup> One-way ANOVA, <sup>b</sup> Post-hoc analysis with Bonferroni corrections shows significant difference between Okinawa diet and other diet plans ( $P < 0.001$ ) and between Eastern diet and Western diet ( $P = 0.041$ ).	between Okinawa	- •	0	CT T
							Okinawa	Diet	Fast food
							Figure 2a: Con	Figure 2a: Comparison of mean weight by diet plans.	ight by diet

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Person's correlation         Table 2d: Correlation between the study variables (n = 155).           Correlation         Age (yeans)         10.5'         < 0.001'         BM         BP           MM (ng/m1)         0.55'         1.5''         0.008'         BP         0.001'         BP           NM (ng/m1)         0.55'         1.5''         0.008'         BP         0.001'         BP         BP         BP         BP         BP         BP         0.001'         BP         BP         0.001'         BP         BP         D         0.001'         BP         D <th>Statistical tests</th> <th>Table form</th> <th>n</th> <th></th> <th></th> <th></th> <th></th> <th></th> <th>Figure form</th>	Statistical tests	Table form	n						Figure form
VariablesAgeMISBVMISBVAge (Years) $10$ , $5^{2}$ $10$ , $5^{2}$ $0.031^{b}$ $0.031^{b}$ BMI (kg/m <sup>3</sup> ) $0.55^{c}$ $1.5^{c}$ $0.008^{b}$ BMI (kg/m <sup>3</sup> ) $0.77^{c}$ $0.33^{c}$ $5.3^{s}$ BMI = body mass index, SBP = systolic blood pressure, * SD, * <i>P</i> -values, ' correlation coefficient (r).BMI = body mass index, SBP = systolic blood pressure, * SD, * <i>P</i> -values, ' correlation coefficient (r).BMI = body mass index, SBP = systolic blood pressure (mHg) ( $\mathbf{n} = 150$ ).BMI = body mass index, SBP = systolic blood pressure (mHg) ( $\mathbf{n} = 150$ ).BMI = body mass index, SBP = systolic blood pressure (mHg) ( $\mathbf{n} = 150$ ).Adjusted to ( $05^{c}$ ( $15, 3.5$ )Data $2.5$ ( $1.5, 3.5$ )Data $2.5$ ( $1.5, 3.5$ )Data $2.5$ ( $1.5, 3.5$ )Data $10$ ( $10^{c}$ )Adjusted regression coefficients, * Multiple linear regression ( $\mathbf{r} = 0.5$ ).Table 2 21: Association between gender and disease statusBMI = body mass index. * Adjusted regression coefficients, * Multiple linear regression ( $\mathbf{r} = 0.5$ ).Table 2 21: Association between gender and disease statusTable 2 21: Association between gender and disease statusFemale $10$ ( $00$ ) $10$ $10$ ( $00$ ) $10$ $10$ ( $00$ ) $10$ $10$ ( $00$ ) $10$ $10$ ( $00$ ) $10$ $10$ $10$ $10$ $10$ $10$	Pearson's	Table 2d:	Correlation b	between the str	ıdy variables (n	: = 155).			
Age (vears)       Io.57 $< 0.001^{b}$ $0.031^{b}$ BMI (kg/m <sup>3</sup> ) $0.55^{c}$ $1.5^{c}$ $0.008^{b}$ BMI (kg/m <sup>3</sup> ) $0.71^{c}$ $0.33^{c}$ $5.3^{c}$ BMI = body mass index, SBP = systolic blood pressure. "SD, " <i>P</i> -values," correlation coefficient (r).         BMI = body mass index, SBP = systolic blood pressure. "SD, " <i>P</i> -values," correlation coefficient (r).         BMI = body mass index, SBP = systolic blood pressure. "SD, " <i>P</i> -values," correlation coefficient (r).         BMI (kg/m <sup>2</sup> ) $-0.01^{c}$ $-0.001^{c}$ BMI (kg/m <sup>2</sup> ) $-0.02^{c}$ $-0.001^{c}$ BMI (kg/m <sup>2</sup> ) $-0.01^{c}$ $-0.001^{c}$ BMI (kg/m <sup>2</sup> ) $-0.02^{c}$ $-0.001^{c}$ Geodres $-0.001^{c}$ $-0.001^{c}$ BMI (kg/m <sup>2</sup> ) $-0.02^{c}$ $-0.001^{c}$ Geodres $-0.001^{c}$ $-0.001^{c}$ Geodres $-0.001^{c}$ $-0.001^{c}$ Geodre	correlation	Variables		Age		BMI	S	BP	00 00
BMI (kg/m <sup>3</sup> ) $0.55^{\circ}$ $1.5^{\circ}$ $0.008^{\circ}$ SBP (mmHg) $0.7t^{\circ}$ $0.33^{\circ}$ $5.3^{\circ}$ $0.008^{\circ}$ BMI = body mass index, SBP = systolic blood pressure. * SD, <sup>1</sup> P-values, <sup>c</sup> correlation coefficient (7).BMI = body mass index, SBP = systolic blood pressure. * SD, <sup>1</sup> P-values, <sup>c</sup> correlation coefficient (7).DITable Zer: Factors associated with systolic blood pressure (mmHg) ( $n = 150$ ).BMI ( $g/m^{\circ}$ ) $9.4$ ( $8.6$ , $10.2$ ) $0.004$ BMI ( $g/m^{\circ}$ ) $2.5$ ( $1.5$ , $3.5$ ) $0.004$ BMI ( $g/m^{\circ}$ ) $2.5$ ( $1.5$ , $3.5$ ) $0.004$ BMI ( $g/m^{\circ}$ ) $2.5$ ( $1.5$ , $3.5$ ) $0.004$ BMI ( $g/m^{\circ}$ ) $2.5$ ( $1.5$ , $3.5$ ) $0.004$ BMI ( $g/m^{\circ}$ ) $2.5$ ( $1.5$ , $3.5$ ) $0.004$ BMI ( $g/m^{\circ}$ ) $0.004$ $0.004$ BMI = body mass index. * Adjusted regression coefficients, * Multiple linear regression ( $\mathcal{R} = 0.65$ ).Table Zf: Association between gender and disease statusGender $Male$ $20$ ( $80.0$ ) $5$ ( $20.0$ ) $25$ GenderMale $20$ ( $80.0$ ) $5$ ( $20.0$ ) $25$ Brance $10$ ( $40.0$ ) $15$ ( $60.0$ ) $25$ $8.33$ ( $1$ ) $0.004$		Age (years)		10.5 <sup>ª</sup>	0 ×	0.001 <sup>b</sup>	0.0	$331^{b}$	
SBP (mmHg) $0.7t^{\circ}$ $0.33^{\circ}$ $5.3^{\circ}$ BM1 = body mass index, SBP = systolic blood pressure. " SD, " <i>P</i> -values, " correlation coefficient (r). $5.3^{\circ}$ BM1 = body mass index, SBP = systolic blood pressure. " SD, " <i>P</i> -values, " correlation coefficient (r).DTable 2et: Factors associated with systolic blood pressure (mmHg) (n = 150).EatonsAdjinsted b (05% CT) $\sim$ BM1 ( $g_{c}/m^{0}$ ) $94$ (8.6, 10.2)Catons $2.5$ (1.5, 3.5)DM1 = body mass index. " Adjusted regression coefficients, " Multiple linear regression ( $R^{\circ} = 0.65$ ).BM1 = body mass index. " Adjusted regression coefficients, Multiple linear regression ( $R^{\circ} = 0.65$ ).Imable $D_{10}^{\circ}$ Canable $D_{10}^{\circ}$ GenderMale $D_{10}^{\circ}$ Canable $D_{10}^{\circ}$ Female $D_{10}^{\circ}$ D $25$ (0.0) $25$ BM2 $D_{10}^{\circ}$ Discase status $D_{10}^{\circ}$ Discase status $D_{10}^{\circ}$ Discase status $D_{10}^{\circ}$ Discase internation between $D_{10}^{\circ}$ $D_{10}^{\circ}$ Discase internation between $D_{10}^{\circ}$ $D_{10}^{\circ}$ Discase internation between $D_{10}^{\circ}$ $D_{10}^{\circ}$ Discase internation $D_{10}^{\circ}$ $D_{10}^{\circ}$ Discase inte		BMI (kg/m	2)	0.55°		<b>1.5</b> <sup>a</sup>	0.0	008 <sup>b</sup>	
BMI = body mass index, SBP = systolic blood pressure ' SD, <sup>b</sup> <i>P</i> -values, ' correlation coefficient (r).         DN       Table 2e: Factors associated with systolic blood pressure (mmHg) ( $n = 150$ ).         Factors       Adjusted b ( $65\%$ CI) $\sim$ $P$ -values         BMI ( $g(m^2)$ $94$ ( $8.6$ , $10.2$ ) $P$ -values         BMI ( $g(m^2)$ $2.5$ ( $1.5, 3.5$ ) $0.004$ BMI ( $g(m^2)$ $2.5$ ( $1.5, 3.5$ ) $0.004$ BMI ( $g(m)$ $2.5$ ( $1.5, 3.5$ ) $0.004$ BMI ( $g(m)$ $2.5$ ( $1.5, 3.5$ ) $0.004$ BMI ( $g(m)$ $2.5$ ( $1.5, 3.5$ ) $0.004$ BMI ( $g(m)$ $2.5$ ( $1.5, 3.5$ ) $0.004$ BMI = body mass index. * Adjusted regression coefficients, $^{b}$ Multiple linear regression ( $R^{a} = 0.65$ ).       Table 2f: Association between gender and disease status         Cander       Male $20$ ( $9.0$ ) $5$ ( $20.0$ ) $25$ Gender       Male $20$ ( $9.0$ ) $15$ ( $60.0$ ) $25$ $0.004$		SBP (mmH	g)	0.71 <sup>c</sup>	0	<b>J.</b> 33 <sup>c</sup>	5.0	3 <sup>a</sup>	0
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Image: Factors associated with systolic blood pressure (mmHg) ( $n = 150$ ).FactorsAdjusted b (95% CI)*P-value*BMI ( $g/m^2$ ) $9.4$ ( $8.6$ , $10.2$ ) $7 < 0.001$ BMI ( $g/m^2$ ) $2.5$ ( $1.5$ , $3.5$ ) $0.004$ BMI = body mass index. * Adjusted regression coefficients, <sup>b</sup> Multiple linear regression ( $R^* = 0.65$ ). $0.004$ BMI = body mass index. * Adjusted regression coefficients, <sup>b</sup> Multiple linear regression ( $R^* = 0.65$ ). $0.004$ BMI = body mass index. * Adjusted regression coefficients, <sup>b</sup> Multiple linear regression ( $R^* = 0.65$ ). $0.004$ Table 2f: Association between gender and disease status $0.004$ Gender $n (%)$ $n (%)$ $n (%)$ Female $10 (40.0)$ $5 (20.0)$ $25$ Bade $20 (80.0)$ $5 (20.0)$ $25$ Bade $10 (40.0)$ $15 (60.0)$ $25$ Bade $20 (80.0)$ $25 (20.0)$ $25$ Bade $0.004$ $25 (20.0)$ $25$ Bade $0.004$ $25$ $0.004$									<b>Figure 2b:</b> Correlation between weight and height, r = 0.86 (P < 0.001)
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BMI ( $g/m^2$ )94 (8.6, 10.2)< 0.001Age (years) $2.5 (1.5, 3.5)$ $0.004$ BMI = body mass index. * Adjusted regression coefficients, <sup>b</sup> Multiple linear regression ( $R^2 = 0.65$ ). $0.004$ BMI = body mass index. * Adjusted regression coefficients, <sup>b</sup> Multiple linear regression ( $R^2 = 0.65$ ). $0.004$ Table 2f: Association between gender and disease status $n (%)$ $n (%)$ Variable $n (%)$ $n (\%)$ $n (\%)$ GenderMale $20 (80.0)$ $5 (20.0)$ $25$ Female $10 (40.0)$ $15 (60.0)$ $25$ $8.33 (1)$ $0.004$		Factors		hdju	isted $b$ (95% CI	)a	<i>P</i> -value	4	
Age (years) $2.5 (1.5, 3.5)$ $0.004$ BMI = body mass index. * Adjusted regression coefficients. * Multiple linear regression ( $R^{z}$ = 0.65). $0.004$ Table 2f: Association between gender and disease status $\chi^{2-}_{n}$ $N$ -valueVariableDiseaseNo-disease status $(%)$ $n (\%)$ GenderMale $20 (80.0)$ $5 (20.0)$ $25$ Female $10 (40.0)$ $15 (60.0)$ $25$ $8.33 (1)$ $0.004$		BMI (kg/m	2)		9.4 (8.6, 10.2)		< 0.001		
BMI = body mass index. " Adjusted regression coefficients, b Multiple linear regression ( $R^2 = 0.65$ ).Table 2f: Association between gender and disease statusVariableDiseaseNo-diseaseNo-diseaseVariable $n (\%)$ $n (\%)$ $n (\%)$ $n (\%)$ $n (\%)$ GenderMale $20 (80.0)$ $5 (20.0)$ $25$ $8.33 (1)$ $0.004$ Female $10 (40.0)$ $15 (60.0)$ $25$ $8.33 (1)$ $0.004$		Age (years)			2.5(1.5, 3.5)		0.004		
Table 2f: Association between gender and disease statusVariableDiseaseNo-diseaseNo-diseaseVariable $n (\%)$ $n (\%)$ $n (\%)$ $n (\%)$ GenderMale $20 (80.0)$ $5 (20.0)$ $25$ $8.33 (1)$ $0.004$ Female $10 (40.0)$ $15 (60.0)$ $25$ $8.33 (1)$ $0.004$		BMI = body m	ass index. <sup>a</sup> Adju	sted regression coe	efficients, <sup>b</sup> Multiple	linear regress	sion $(R^2 = 0.65)$ .		1
Disease $n$ (%)No-disease $n$ (%) $n$ $\chi^2$ - statistic* (df)Male20 (80.0)5 (20.0)25 $8.33 (1)$ Female10 (40.0)15 (60.0)25 $8.33 (1)$	Chi-square test	Table 2f: .	Association b	etween gender	and disease sta	atus			1
Male         20 (80.0)         5 (20.0)         25         8.33 (1)           Female         10 (40.0)         15 (60.0)         25         8.33 (1)		Variable		Disease n (%)	No-disease n (%)	u	$\chi^{z}$ - statistic <sup>a</sup> (df)	<i>P</i> -value <sup>a</sup>	
10(40.0) $15(60.0)$ $25$ $0.33(1)$		Gender	Male	20 (80.0)	5 (20.0)	25	0 00 (1)	1000	
			Female	10 (40.0)	15 (60.0)	25	0.33 (I)	0.004	

# Editorial | Reporting statistical results

<sup>a</sup> Chi-square test for independence

(continued on next page)

Table 2: (continued)	(1					
<b>Statistical tests</b>			Table form			Figure form
McNemar	Table 2g: Status	Table 2g:         Status of skin lesion pre- and post-treatment.	- and post-treatm	ent.		I
			Post			
	Status of Skin Lesion	esion Lesion n (%)	n No lesion n (%)	n X <sup></sup> status (df) <sup>a</sup>	ue <i>P</i> -value	
	Pre Lesion	ion 30 (37.5)	5) 18 (22.5)	00		
	No	No lesion 2 (2.	.5) 30 (37.5)	00 III.34 (I)	100.0 > 0.	
	<sup>a</sup> McNemar's Chi-squa	<sup>a</sup> McNemar's Chi-squared test with continuity correction.	y correction.			
Logistic regression	Table 2h: Assoc	<b>Table 2h:</b> Associated factors of coronary artery disease $(n = 250)$ .	ronary artery dise	ase $(n = 250)$ .		
	Factors		q	Adjusted OR (95% CI)	P-value <sup>a</sup>	
	Diastolic Blood Pressure (mmHg)	essure (mmHg)	0.05	1.05(1.02,1.08)	<0.001	
	Gender	Male vs Female <sup>b</sup>	0.81	2.24(1.04, 4.82)	0.045	
	OR = odds ratio. <sup>a</sup> Like	OR = odds ratio.a Likelihood ratio test, b the reference category.	reference category.			
Diagnostic test	Table 21: Sensiti	ivity and specificit	y values of selecte	<b>Table 21:</b> Sensitivity and specificity values of selected tumor markers $(n = 435)$ .	= 435).	ROC Curve
	Variable (cutoff point)	Sensitivity (%)	Specificity (%)	AUC (95% CI)	<i>P</i> -value	
	Tumor marker A (at 20 ng/mL)	78.5	90.2	0.75 (0.71, 0.79)	< 0.001	0.8-1
	Tumor marker B (at 35 ng/mL)	60.1	50.3	0.54 (0.51, 0.57)	0.004	
	Tumor marker C (at 12 ng/mL)	55-5	81.1	0.45 (0.38, 0.52)	0.919	Sens
	AUC = Area under the	AUC = Area under the curve. $^{a}$ Null hypothesis: true area = 0.5.	is: true area = 0.5.			02-
						-
						00 02 04 06 08 10 1 - Specificity
						<b>Figure 2c:</b> ROC curve for tumor marker A for diagnosis of breast cancer.

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# **Closing Remarks**

This editorial outlines the basics of reporting statistical results in medical journals. This editorial will serve as a guide to authors aiming to publish in the MJMS. Given the availability of the guidelines on reporting statistical results, it is hoped that the authors follow the guidelines to ensure standardisation of the submitted manuscripts. This will shorten the process of reviewing and accepting manuscripts submitted to the MJMS.

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